
ABSTRACT

Smaller region and less power waste play an essential role not only in the manufacture of digital signal processing systems but also in higher performance systems. The greater design issue is make optimal the speed and area of the multiplier in any digital signal processing however, area and speed are usually conflicting constraints. Major concern issue is how to better speed in larger areas. The capable implementation of high speed multiplier using Radix_4, and compare with add and shift, wallace tree and Radix_2 algorithm using FPGA.

KEYWORDS: Radix_2, Radix_4, Add and shift, Wallace tree.

INTRODUCTION

With the fresh fast advances in multimedia and intercommunication systems, real-time signal processing similar sound signal processing, video/image processing, or huge- Capacity data processing are increasingly being question. The multiplier and multiplier-and-accumulator (MAC) [1] are the existent elements of the digital signal processing such as filter out, volume, and internal products. Most digital signal processing methods application nonlinear performance such as discrete cosine transform (DCT) [2] or discrete wavelet transform (DWT) [3]. It has been observed that the multiplier necessary the longest delay among the fundamental functionary roof in a system, hence the faultless exceeding is principally restrain by the multiplier [4]. Because they are basically accomplished by repeating application of multiplication and addition, the quickness of the multiplication and addition arithmetic's determines the performance quickness and work of the whole calculation.

ALGORITHM***Add and shift multiplier***

Shift-and-add multiplication is similar to the multiplication do by numbers. To multiply two numbers and the algorithmic program is to take the digits of the coefficient one at a period from right to left, increase the multiplicand by a single digit of the coefficient and place the interposed result in the compatible declaration to the left of the earlier results. New algorithmic program shifts the multiplicand leftward with zeros inserted in the modern condition, so the least important bits of the result cannot turn after they are formed. Instead of varying the multiplicand leftward, we can turn the result to the right. Therefore the multiplicand is fixed relative to the result, and since we are increase only n bits, the adder necessarily to be only n bits broad. Only the leftward partial of the 2n-bit product record is shift during the addition.

Wallace Tree Multiplier

The Wallace tree is an experience hardware implementation of a digital put which succession the partial products [5]. In the intend structure, several bit compressors are application for realizing the decrease in the number of biased result addition stages. Wallace insert an capable multiplication algorithmic program, The logarithmic advance in delay with respect to operand largeness supply quickness gain over multiplier which has a linear grow in delay . In this coefficient structure all the bits of all the biased products in a column are added together in equal without the diffusion of any carries. The progress is repeated until there is only two rows of the table is leftward , the two rows are then added using a fast adder. If the most important bit of the result is one, the normalization logic shifts the result rightful one bit and increase the exponent.

Radix 2 booth algorithm

Andrew D Booth, in 1950 plan an algorithmic rule to multiply two numbers of either sign using a equitable improve without any for knowledge of the signs of the two numbers [6]. This basic Booth algorithmic rule has been application in the plan to exhibit the biased products by encoding the coefficient bits. For a N-bit multiplier the Radix-2 Booth algorithmic rule reproduce N number of biased products, which can then be added in a uniform method using either simple adders or more preferably compressors. The more drawback of the root radix-2 algorithmic rule constitute the necessity of N shifts and an mean of N/2 additions for a N-bit multiplier. Also the algorithmic regulation's product degenerate in the include of isolated 1's in the coefficient. These drawbacks of the Radix-2 algorithmic rule are overcome by the Radix-4 Booth algorithmic rule [4].

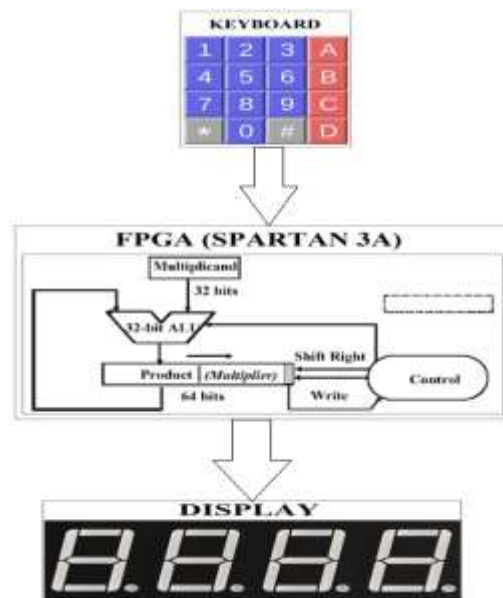
Radix 4 booth algorithm

Speeding up the augmentation using Booth algorithmic regulation can be succeed by recording the coefficient in a higher radix than 2. Higher radix recording mean more number of multiplier bits are inspect and ignore per cycle resulting in less many of cycles need to advance the result [7]. The radix 4 booth multiplier also understood as moderate booth algorithm [8] is a well recognize technique which is application to decrease the biased result produce for the increase when two numbers are multiplied. In radix 4 technique, 3 bit encoding is essential due to which the calculate of biased products are half.

WORKING

Multiplier circuits are found in practically every electronic computer, cellular phone, and digital sound/video equipment. In fact, really any digital device application to control speech, stereo, image, graphics, and multimedia content hold one or more multiplier circuits.

Figure:

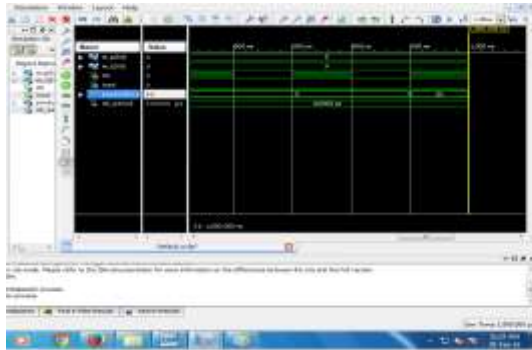


Interfacing diagram of multiplier

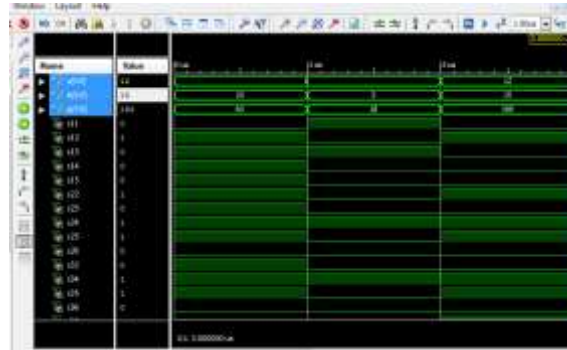
The multiplier circuits are mainly integrated within microprocessor, media coprocessor, and digital signal processor chips. These multipliers are usefulness to execute a broad range of service such as address production, Discrete Cosine Transformations (DCT), Fast Fourier Transforms (FFT), multiply-accumulate, etc. As such, multipliers act a critical role in processing sound, graphics, video, and multimedia data. A multiplying circuit is able to execute a multiplication of n-bits X n-bits at a high speed by growing the quickness of the forming process of the biased products so that the delay time may be inhibited from growing for a bulky n, and which can prohibit the chip size suitable huge. Multiplication is more complex than addition, being accomplish by varying as well as addition.

Because of the partial products complex in most multiplication algorithms, more time and more circuit region is need to calculate, place, and sum the partial products to obtain the multiplication result.

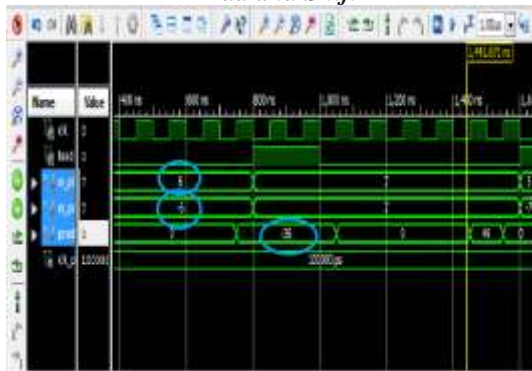
RESULTS



Add and Shift



Wallce Tree



Radix 2



Radix 4

CONCLUSION

The simulation results show that, the design use of Add and shift, Wallace Tree and Radix-2 multipliers is much better as comparison to Radix-4 coefficient. The Radix-4 multiplier is faster as liken them. The principle for the betterment in quickness was the decrease in the count of partial products in casing of Radix-4 recording.

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